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Molecular Mechanical and Quantum Chemical Study of the Species Involved in the Hydrolysis of *cis*-Diamminedichloroplatinum(II) and Substituted *Bis*(ethylenediamine)dichloroplatinum(II) Complexes II. Simulated Transition States

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Summary. *cis*-Diamminedichloroplatinum(II) (cisplatin) and its substituted ethylenediamine derivatives *cis*-PtCl₂(R_2en) (en = ethylenediamine, R = H, Ph, 2-, 3-, and 4-PhOH) have been investigated with respect to the possible structures of the hypothetical Transition State Complexes (*TSC*) of the hydrolytic S_N2 reaction in which one Cl is replaced by H₂O. *TSCs* with *trigonal bipyramid* (*TBP*) and *square pyramid* (*SP*) geometry (coordination number 5), have been studied by Molecular Mechanics (*MM*) and Extended *Hückel* (*EH*) methods. The *EH* and *MM* energies as well as the number of occurrence (entropy factor) for the cisplatinum compound point to a preferred *TBP TSC* geometry with NH₃ and Cl in axial positions. However, for *en* and substituted *en* compounds, *TSCs* with *SP* geometries (Cl in apical position) are preferred. The calculated *EH* and *MM* energies of the *TBP* and *SP* structures do not differ significantly and *TBP* \leftrightarrow *SP* interconversions may play an essential role in *TSC* formation. To improve the discrimination, the *MM*-optimized geometries were treated in terms of displacement coordinates for D_{3h} (*TBP*) and C_{4v} (*SP*) by calculating the total distortion vectors (*DV*). *DV* identified once again the *TBP* with NH₃ and Cl in axial position as the least-distorted conformer, but it also revealed the combinations of displacement coordinates which shape the *TSC* geometry.

Keywords. Platinum coordination compounds; Antitumor activity; Molecular modelling.

Molekularmechanische und quantenchemische Untersuchung der bei der Hydrolyse von *cis*-Diammindichlorplatin(II) und substituierten *Bis*(ethylendiamin)dichlorplatin(II)-Komplexen auftretenden Spezies, 2. Mitt. Simulierte Übergangszustände

Zusammenfassung. cis-Diammindichlorplatin(II) (Cisplatin) und seine substituierten Ethylendiaminderivate cis-PtCl₂(R_2en) (en=Ethylendiamin, R = H, Ph, 2-, 3- und 4-PhOH) wurden im Hinblick auf mögliche Strukturen der hypothetischen Übergangszustandkomplexe (TSC) der hydrolytische S_N2-Reaktion (Substitution eines Cl-Atoms durch H₂O) untersucht. TSCs mit trigonalbipyramidalen (TBP) und quadratisch-pyramidalen (SP) Geometrien (Koordinationszahl 5) wurden mit molekularmechanischen (MM) und Extended-Hückel-Methoden (EH) behandelt. EH- und MM-Energien sowie entropische Faktoren weisen für Cisplatin auf eine trigonale Bipyramide mit NH₃ und Cl in axialen Positionen als bevorzugte TSC-Geometrie hin, während für Komplexe mit en-Liganden SP-Geometrien mit Cl in der apicalen Position energetisch begünstigt sind. Da die berechneten EH- und MM- Energien für TBP- und SP-Geometrien sehr ähnlich sind, spielen möglicherweise TBP-SP-Umwandlungen eine wesentliche Rolle bei der Bildung der TSCs. Zur Verbesserung der Unterscheidung wurden für die MM-optimierten Geometrien die Verschiebungsvektoren (DV) bezüglich D_{3h} (TBP) und C_{4v} (SP) berechnet. Daraus resultierte erneut die trigonale Bipyramide mit NH₃ und Cl in den axialen Positionen als das am wenigsten gespannte Konformere; des weiteren konnten mit dieser Methode die Kombinationen der Verschiebungskoordinaten erhalten werden, die für die Ausbildung der TSC-Geometrie verantwortlich sind.

Introduction

It is generally believed that the first stage of the physiological action of the cisplatin complexes as cytostatic reagents is their hydrolysis [2, 3] in which one Cl⁻ is replaced by a H₂O molecule. This is the rate-determining stage prior to the platinum complex penetration into the cell. In part I of this investigation [1] we have studied the possible geometries of the reactants and the products of this hydrolytic reaction for a number of Pt(II) compounds with ethylenediamine (1-PtCl₂) and its derivatives: 2-PtCl₂, 3-PtCl₂, 4-PtCl₂, and 5-PtCl₂ (Fig. 1). These compounds have been tested against cancer cell lines as tumor models [4–8]. In Ref. [1], the thermodynamic stability was shown to be correlated with the rate of hydrolysis of *meso* (R,S)- and d,l (R,R/S,S)-[1,2-*bis*(2-hydroxyphenyl)ethylenediamine] dichloroplatinum(II) (3-PtCl₂). The slower rate of hydrolysis of the (R,S) diastereoisomer as compared with that of the (R,R/S, S) species of 3-PtCl₂ was



explained by the presence of a 5th Pt-O contact in the (R, S) diastereoisomer which blocks one position in the planar complex and thus hinders the entrance of the water molecule.

The present study reports on the possible structures of the Transition State Complexes (*TSC*) for the hydrolytic reaction in an attempt to identify the lowestenergy $S_N 2$ mechanistic pathways. The two highest-symmetry 5-coordinate ML_5 species are square planar (SP) and trigonal bipyramidal (TBP) arrangements [9, 10]. Since the *TSCs* are not accessible experimentally and a selection in advance cannot be made in our theoretical studies, we consider both the *TBP* and *SP* structures and all possible conformers.

The approach used in this work is as follows: we construct all possible geometric isomers for an SP or TBP $[Pt(L-L)Cl_2(H_2O)]$ TSC and optimize the structures by Molecular Mechanics (MM) calculations. This is in fact a grid search in the SP and TBP spaces. Some isomers were found to retain the initial (input) ligand arrangement; however, others changed the initial locations of the ligands to produce a new (distorted) arrangement or another isomer. By comparing the MM (strain) energies, the preferred pathways were discerned; further, by counting the number of occurrence of the isomers as final structures, we were in a position to access also the entropy factor characterizing the pathway. Extended Hückel (EH) calculations with MM-optimized geometries were used to provide the basis of assessing the relative electronic factor stability order of the TSC structures. Ab initio calculations for such large species are practically impossible. Since both MM and EH results gave energy values close to each other and therefore do not help much discriminate the different TSC geometries, an attempt was made to classify these geometries in terms of displacement coordinates.

Methods

MM was developed as the main tool for conformational transition state studies in organic chemistry [11]. Because of the presence of d-AO and the action of 1^{st} and 2^{nd} order *Jahn-Teller* effects, *MM* applications to inorganic compounds were subject to some criticism [12, 13]. However, at present there are numerous examples which show that *MM* can be used reliably to attact conformational problems also in inorganic chemistry [14, 14a]. In some cases, the *MM* results were better than those from *ab initio* [15] and semiempirical (AM1, combined *QM/MM*) methods [13]. *MM* of Pt compounds has been shown to be highly successful in Ref. [16], and our results from Ref. [1] provide solid evidence to this claim reproducing the cystallographic data (bond lengths, valence angles) for the studied reactants. Proof that molecular mechanics can be used to study *TSC* is given in Refs. [16–21].

The standard *MMX* method [17], employed both in Ref. [1] and in the present investigation, uses the strain energy to decide which *TSC* is the most stable one. *MMX*, based on *MM2*, uses the standard *Hook*'s expressions for stretch, bend, and cross term interactions; it also includes *van der Waals* and dipole-dipole interactions. Parameters used in our calculations are given in the appendix and comprise the standard set used in *MMX*. For the sake of comparison, *MM* parameters used by other researchers are also given there. The differences are minor. *LML* interactions as stated in Ref. [14] are neglected ($k = 0.0 \text{ mdyn} \cdot \text{Å}^{-1}$), but ligand-to-ligand repulsion is explicitly accounted for by the *van der Waals* and dipole-dipole interactions. The problem of treating the *LPtL* angles, which differ in *SP* and *TBP*, was handled by 1–3 non-bonded interactions as suggested elsewhere [14a, 16c]. This allows Pt(II) to adopt the coordination geometry most favourable to the *TSC*, not limiting it to an *a* *priori* geometry [14d]. Thus, only bonding parameters for each type of new geometry need to be derived. There is ample evidence that the same set of bonding parameters can be used to treat different geometries; in Ref. [16], Pt-N in the *TSC* had been made only 0.05 Å longer without any further modification in the force field.

The extended Hückel calculations were performed employing a version which uses a metalligand distance dependent formula to calculate the off-diagonal elements and the geometry parameters from the MM calculations [22]. Charge iteration was performed in all cases. The atom parameters were taken basically from the collections of Fitzpatrick and Murphy [23], but the Pt orbital exponent had to be readjusted back to a *Slater* type orbital (STO) in order to obtain a slightly positive Pt charge in the complex; with *Fitzpatrick*'s parameters, q(Pt) was always negative. The shifts in q(Pt) values are interpreted only in a comparative manner, their absolute values being not essential. The Pt valence state ionization parameters (VSIP) were taken from Ref. [24]. Three different energies were obtained by the EH method: sum of orbital energies, orbital stabilization energy (OS), and repulsion energy. In order to facilitate comparison between differently constituted complexes, we used the orbital stabilization energy which is defined as the difference between the sum of energies for the orbitals populated with electrons and the respective VSIP [22]. This energy was termed as EH, and it provides the energy lowering produced from the constituent Pt(II) and ligands taken in their standard states. The procedure of describing molecular geometries in terms of displacement symmetry coordinates using a total distortion vector is given in Ref. [25]. The symmetry-adapted linear combinations of the displacement coordinates for D_{3h} and C_{4v} were given also in Ref. [25]. We have used them to calculate the distortion vectors (DV) in the TBP and SP spaces. Our DVs, unlike the procedure adopted in Ref. [25], include all (stretch and bend) coordinates with the increments relative to the reference TBP or SP species taken from MM. The DV is defined as

$$D = \sum_{\mathrm{j}} \Delta d_{\mathrm{j}} p_{\mathrm{j}} = \sum_{\mathrm{j}} (d_{\mathrm{j}}(\mathrm{calc}) - \mathrm{d}_{\mathrm{j}}(\mathrm{ref})) p_{\mathrm{j}}$$

where $d_j(\text{calc})$ and $d_j(\text{ref})$ represent either the bond lengths or the valence angles of the calculated and reference molecules, respectively; the sum is taken over all 12 coordinates p_j . Δd_j reflects the *TSC* displacement along the coordinate p_j away from the reference *TBP* or *SP* structure. The coordinates obtained represent two new coordinate systems (spaces) in which each *TSC* geometry could be represented by a point given by the magnitudes of the displacement along the respective coordinate (for details, see Ref. [25]). These two spaces have been called *TBP* and *SP* space.

The valence angles used in our study for the *TBP* and *SP* reference structures are in agreement with those given in Ref. [25]. The reference Pt-Cl and Pt-N bond lengths of our *TSC* structures were standard for five coordinate metal complexes [25]: Pt-Cl = 2.497 Å, Pt-N = 2.221 Å, and Pt-O = 1.97 Å. They differ from the standard bond lengths in *MMX* (2.300, 1.980, and 1.800 Å, respectively), but they are close (*vide infra*) to the bond length values of the *MM*-optimized structures (2.40, 1.96, and 2.12 Å, respectively).

Results and Discussion

A. MM and EH Calculations

1. Geometry Isomers

The transition state complex that may be formed upon nucleophilic addition of a water molecule to a cisplatin complex or its derivatives is

$$[Pt(L-L)Cl_2] + H_2O = [Pt(L-L)(H_2O)ClCl]^*$$
(1)

where L-L stands for two NH_3 , or one ethylenediamine (*en*) or substituted *en*, as given in Fig. 1.

$\begin{array}{ccccccc} Pt(NH_3)_2Cl_2(H_2O) & (a_1) & (a_3) & (a_4) & (b) & (d) & (e) & (a_2) & (f) \\ SP & TBP \\ O_{ap} & NO_{ax} & NO_{ax} & NO_{ax} & NN_{ax} & NN_{ax} & NN_{ax} & NCl_{ax} \end{array}$	(c) TBP NCl _{ax}
<i>EH</i> (eV) $-72.09 -71.68 -71.94 -71.80 -71.38 -71.89 -71.37 -71.80$	-71.65
<i>q</i> (Pt) 0.052 0.052 0.052 0.053 0.042 0.047 0.042 0.053	0.052
q(CI) -0.58 -0.63 -0.65 -0.58 -0.62 -0.63 -0.63 -0.60	-0.56
MM (kcal·mol-1) 8.1 8.0 8.0 8.0 7.7 7.7 7.5 8.0	8.0
TBP trans-axial 164 173 173 171 176 175 176 175	172
(SP basal) angles (°) 151	
1 -PtCl ₂ (H ₂ O) (a ₁) = (c) (a ₂) (a ₃) (b) (f) (d) SP^{b} SP^{b} SP^{b} SP^{b} SP^{b} SP^{b} SP^{b}	(e) SP ^b
O_{ap} N_{ap} N_{ap} Cl_{ap} Cl_{ap}	$\mathrm{Cl}_{\mathrm{ap}}$
<i>EH</i> (eV) -102.02 -101.61 -101.44 -101.76 -101.76 -101.74	-101.74
<i>q</i> (Pt) 0.046 0.062 0.07 0.045 0.042 0.042	0.042
q(Cl) -0.58 -0.56 -0.56 -0.58 -0.65 -0.65	-0.66
MM (kcal·mol-1) 7.3 7.8 7.8 7.5 7.5 7.3	7.3
<i>trans</i> -basal (SP) 166 173 176 159 159 168	165
angles (°) 157 159 174 158 158 131	146
2 -PtCl ₂ (H ₂ O) (a ₁) (a ₂) (a ₃) (a ₄) = (b) = (c) SP^{b} SP^{b} SP^{b} SP^{b}	
O _{ap} N _{ap} N _{ap} Cl _{ap}	Cl _{ap}
<i>EH</i> (eV) -270.20 -269.63 -269.67 -269.55	-270.08
<i>q</i> (Pt) 0.044 0.061 0.066 0.037	0.042
q(Cl) -0.56 -0.56 -0.64	-0.65
$MM (\text{kcal·mol}^{-1}) \qquad 24.8 \qquad 25.9 \qquad 26.9 \qquad 24.3$	24.5
<i>trans</i> -basal (SP) 161 172 174 159	159
angles (°) 163 158 171 155	156
3 -PtCl ₂ (H ₂ O) (a ₁) (b) = (c) = (d) (a ₂) (a ₃) cp^{b} cp^{b} cp^{b} cp^{b} cp^{b}	$(a_4) = (e)$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	SP
C_{ap} N_{ap} N_{ap} N_{ap} N_{ap}	270 /0
a(Pt) 0.040 0.050 0.060 0.064	-219.49 0.0/1
a(C1) = -0.58 = -0.57 = -0.56 = -0.57	-0.65
MM (kcal·mol ⁻¹) 22.6 23.0 23.2 24.0	23.1
trans-basal (SP) angles (°) 168 172 173 172	160
155 142 157 168	154

Table 1. Energy data (MM^{a} and EH^{a}) and charge distribution in the transition state complexes

^a MM: Molecular Mechanics EH: Extended Hückel (orbital stabilization) energies;

^b gauche forms (S,S), ax axial, ap apical

The *EH* (orbital stabilization) and *MM* (strain) energies obtained as well as some geometry parameters of the simulated *TSC* are listed in Table 1. We shall discuss the energy values separately for the differently constituted compounds. The geometry parameters will receive special attention in *Section B*.

$[Pt(NH_3)_2Cl_2(H_2O)]$

Figure 2 illustrates the MM results for this species. The first row reflects the starting structures which were chosen as input in the MM optimization as physically discernible geometric isomers. The second row depicts the geometries resulting from the MM optimization as output which are further used in the EH calculations.



Fig. 2. Start (first row) and optimized (second row) geometries of transition state complexes for Pt(NH₃)₂Cl₂(H₂O); the letters (a)–(f) are used in Table 1 to denote the structures

It should be noted that all optimized structures are intermediates between SP and TBP. However, they are termed either as SP or TBP based on the values of the valence angles using the following guidelines: SP shows two angles that are equal or close to 180° (these are the two *trans*-basal angles), whereas TBP shows only one angle that is equal or close to 180° , the remaining angles being either close to 120° (equatorial) or 90° (meridional). There is a much better procedure of describing the deviations from the two ideal structures which will be discussed in detail in Section B.

Not all geometry isomers used as starting structures were obtained as local minima. This means that some input isomers were lacking as output structures. From the five possible arrangements of the five ligands at the *TBP*'s *trans*-axial sites, only three distinct isomers with axial ligand pairs NH_3 -H₂O, NH_3 -Cl, and NH_3 -NH₃ were obtained as output structures. The Cl-Cl and Cl-H₂O pairs in *trans*-axial positions could not be obtained as *MM*-optimized structures. The starting structures with NH_3 -NH₃ and NH_3 -Cl in *trans*-axial positions were retained in the *MM* minimization procedure. However, the structures with NH_3 -H₂O, Cl-Cl, and Cl-H₂O in axial positions exchange axial with equatorial ligands or *vice versa* during the *MM* minimization process. Hence, NH_3 -H₂O is not retained but produced from *trans* Cl-H₂O *TBP* and some *SP* starting structures.

Several conclusions can be drawn from Fig. 2:

(*i*) Out of 4 SP and 5 TBP distinct starting structures we obtained 8 TBP and 1 SP. The only SP has H_2O in the apical position. The 8 TBP are NH_3-NH_3 in transaxial positions (3), NH_3-H_2O (3), and NH_3-Cl (2); the numbers in parentheses are the numbers of structures with equal geometries obtained from different starting structures. These numbers will be called numbers of occurrence and will be used to assess the entropy factor. In fact, all these numbers should be multiplied by a factor of four since there are two pairs (N, N and Cl, Cl) of undistinguishable atoms.

One axial position is always occupied by NH₃; the second axial position is taken by NH₃~H₂O>Cl in the order of decreasing frequency of occurrence, NH₃ and H₂O being more likely to occur than Cl. These numbers of occurrence are important since they give the entropy contributions to the reaction rate constant [26]. Since entropy is the measure for the number of ways of realizing an object [26], the entropy contribution is highest for the highest number of occurrence. From the entropy point of view, the most probable *TBP TSC* structures are those with *trans*-axial NH₃-NH₃ and NH₃-H₂O. For *en* and substituted *en* complexes, however, the *trans* NH₃-NH₃ species should be discarded (*vide infra*).

The species resulting from aquation of [Pt(NH₃)₂Cl₂] form the following series:

trans-axial	TBP (N-	N)	TBP (N-Cl) (TBP (N-O)		SP (O apical)	
ММ	7.6	<	8.0	~	8.0	<	8.1 kcal \cdot mol ⁻¹	
EH	-71.5	\sim	-71.7	\sim	-71.8	>	-72.1 eV	

It can be seen that both the *MM* and *EH* energies vary very modestly in this series ($\sim 0.5 \text{ kcal} \cdot \text{mol}^{-1}$ for *MM* and 0.6 eV for *EH* within exp. error). Hence, it is highly desirable to find a better descriptor of the studied structures (*vide infra*).

(*ii*) The most stable (lowest energy) 5-coordinate TSC is the *trans*-axial NH₃-NH₃ species resulting from 3 different starting geometries (cases (d), (e), and

(a₂) in Fig. 2 and Table 1). It shows the lowest *MM* energy (7.5 and 7.7 kcal \cdot mol⁻¹) and lowest positive charges on Pt, which would facilitate the release of the negative Cl⁻ anion during the *TSC* decomposition to the hydrolysis product.

The NH₃-NH₃ structures (d) = (e) are a compressed *TBP* with Pt-N = 2.12 Å (axial), Pt-Cl = 2.4 Å, and Pt-OH₂ = 1.96 Å (equatorial). These values are in agreement with other *MO* calculations [10b]. The structures can also be termed as bisphenoid C_{2v} with Pt-O on the C₂ axis (Table 1). The equatorial Pt-Cl bonds are in fact the same (2.44 Å) as those in the reactant (Pt-Cl = 2.43 Å, exp. value 2.33 Å, see Ref. [1]). The NH₃-NH₃ structure does not favour the *trans*-effect manifestation of the strong σ -donor (NH₃) ligands, since both NH₃ ligands are in *trans*-axial position [10b]. Hence, despite the low positive charge on Pt and the low *MM* energy, it is expected that the mechanistic path for the hydrolysis reaction *via* the *trans*-axial NH₃-NH₃ *TSC* would be unfavourable.

Second in *MM* energy are the structures with *trans*-axial NH₃-Cl ((c), (f)) and NH₃-H₂O ((a₃), (a₄) (b)) which have equal *MM* and close *EH* energies. They are by $0.4 \text{ kcal} \cdot \text{mol}^{-1}$ higher in *MM* energy (within calc. error) and 0.2 eV in *EH* energy than the *trans*-axial NH₃-NH₃ structure. Although the Pt-Cl distances are equal in both forms and the *q*(Pt) are more positive in the *trans*-axial NH₃-Cl *TSC* than in the NH₃-NH₃ *TSC*, due to the small difference in *MM* energy and the expected labilizing effect of equatorial NH₃, this species offers better conditions for the hydrolysis of the cisplatinum complex.

$Pt(en)Cl_2(H_2O)$ (1-PtCl₂(H₂O))

When two NH₃ are substituted by one *en* ligand, regardless of the input geometry, the resulting *TSC* geometry is exclusively an *SP* intermediate (Fig. 3). The number of possible starting geometries as compared with cisplatin is reduced because *en* can coordinate only in neighbouring positions. The donor atoms O, Cl, and N can occupy the apical position.

The TSC structures resulting after MM energy minimization can be classified with respect to their number of occurrence as follows: 4 with Cl at apical position ((b) = (f), (e = d)), 2 with N at the apical position $((a_2), (a_3))$, and 2 with O at the apical position $((a_1) = (c))$, (see Table 1). Hence, the most probable structure has apical Cl. It seems that en prefers the basal sites in SP (see also Ref. [10b]). Conversely, by taking up one basal site and the apical position, the bite angle of en would have to be larger than 90° , which is quite uncommon for *bis* bidentate *en* complexes (usually $\sim 80^{\circ}$) [9, 27]. The opening of NPtN, accompanied by reduced repulsion in the basal plane, increases the strain energy in the coordinated en. Two structures ((e) = (d)) deviate from SP on the way to TBP (see trans-basal angles in Table 1) more strongly than the other two ((b) and (f)). It should be also noted that the en ligand cannot occupy the equatorial position in a TBP since its bite angle NPtN would have to be $\sim 120^{\circ}$, much higher than *en* can afford without a great loss of energy. However, the *en* ligand can take a meridional position in a *TBP* or in a SP structure ((a₂) and (a₃)) where the expected bite angle is $\sim 90^{\circ}$. Locating *en* in the base of a SP and moving Pt above the base plane would favour NPtN angles close to a least strained *en* structure with an angle of 80° .





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(a₃)

(a2)

 (a_1)

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Fig. 4. Chair (left) and gauche (right) conformers of the *en* ligand in $Pt(en)Cl_2$ (1-PtCl₂)

The resulting structures with N at the apical position have higher *MM* energies (7.8 kcal \cdot mol⁻¹, cases (a₂) and (a₃) in Table 1) than those with O or Cl at the apical position. The last structures ((a₁) = (c)) have the same *MM* energy (~ 7.3 kcal \cdot mol⁻¹) as (d) = (e), but different *EH* energies (-102.02, -101.74 eV, respectively). Structures (e) = (d) approach the *TBP* (one angle is close to 120° and another is close to 180°).

It should be thus concluded that the SP with Cl at the apex is the most favoured TSC structure from an entropy point of view.

In terms of *MM*, the order $Cl \approx O < N$ is obtained:

Apical	C 1	Ο	Ν		
ММ	7.3–7.5	7.3	7.8	kcal \cdot mol ⁻¹	
EH	-101.7	-102.0	-101.4	eV	

In terms of *EH*, the most stable isomer is an *SP* with H_2O at the apex. In fact, this is the *TSC* structure which retains most of the features of the reactant. Hence, both *MM* and *EH* indicate a planar [Pt(*en*)Cl₂] moiety with H_2O at the apex. Both the *MM* and *EH* energies are very close, and once again the need of a better descriptor is evident.

For *en* and substituted *en* Pt compounds, both the stable symmetric (*gauche*, also called *envelope* structure) and the unstable asymmetric (*chair*, also called *half-chair* structure) conformers of the *en* ligand are considered (Fig. 4).

The *chair* conformations were always higher in *MM* energy than the *gauche* conformers; hence, the gauche conformers offer a lower energy path to the hydrolysis product. However, it should be noted that the *chair* conformers offer a slightly bigger $L \rightarrow M$ electron density shift as compared to the *gauche* conformer: q(Pt) (*chair*) < q(Pt) (*gauche*). Such a shift would facilitate the release of a negative chloride ion because of reduced electrostatic attraction with Cl⁻. This finding indicates that a *gauche* \rightarrow *chair* conformational change might facilitate the *TSC* decomposition to the reaction products. Only results for the stable symmetric *gauche* conformers are discussed further.

$Pt(PhenPh)Cl_2(H_2O)$ (2-PtCl_2(H_2O))

Three cases of a coordinated substituted *en* ligand stereoisomers were considered: S, S (> d, l), R, R (| d, l), and R, S (meso) (see Fig. 5). In Table 1, data only for the S, S



Fig. 5. Possible conformers of 2-, 3-, 4-, and 5-PtCl₂: A, (R,R); B, (S,S); C and D, (R,S)

forms are shown; the data for the other two (R,R and R,S), are compared in Table 2 (for **2**-PtCl₂(H₂O)) and in Table 3 (for **3**-PtCl₂(H₂O)). The diastereoisomers of **2**-PtCl₂(H₂O) will be discussed together with those of **3**-PtCl₂(H₂O) in the next section.

As expected, based on the results for the unsubstituted *en* complexes, the preferred *TSC* geometry is again an *SP* intermediate (Fig. 6). With the possible exception of structure (a_2), all other structures show two similar *trans*-basal angles (Table 1). Structures (a_4), (b), and (c) are equivalent (Fig. 6) and have the lowest *MM* energy, with (d) = (e) coming next with ~ 0.2 kcal · mol⁻¹ higher. These structures have also the lowest Pt charges. The numbers of occurrence are: 5 with Cl at the apex, 2 with N at the apex, and 1 with H₂O at the apex. These indicate that an additional strucure with apical Cl is obtained. The new *SP* strucutre is produced from the *trans* NH₃-Cl *TBP* which gave an *SP* with H₂O at the apex for the unsubstituted *en* complex. The reason for this change is unclear. A possible explanation is that the two *SP* structures with H₂O at the apex (a_1) and *SP* with Cl at the apex (c) may have very close energies. As can be seen from Table 1 and Fig. 6, the difference is only 0.5 kcal · mol⁻¹ *MM* energy.

Apical	Cl	Ν	0	
MM	24.3–24.5	25.9–26.9	$24.8 \\ -270.2$	kcal·mol ^{−1}
EH	–269.8	–269.6		eV

The order in *MM* energy is $Cl \approx O < N$ and in *EH* energy $O < Cl \approx N$, *i.e.* N is least probable and O and Cl are more probable with almost equal chances to get at the apex. In terms of entropy changes, however, the *SP* with O at the apex is less probable for 2-PtCl₂(H₂O) (occurs once) than for 1-PtCl₂(H₂O) (occurs twice). With almost equal *MM* and *EH* energies for apical Cl and H₂O structures, the entropy factor may dominate to make the structure with Cl at the apex the most



Fig. 6. Start and optimized geometries for the Pt(PhenPh)Cl₂(H₂O) (2-PtCl₂(H₂O)) transition state complexes (notations as in Fig. 2)

favoured one. Such a structure would be best suited to decompose to the product by splitting the apical Cl–Pt bond.

Pt(PhOHenPhOH)Cl₂(H₂O) (**3**-PtCl₂(H₂O))

The results referring to the S,S conformer are given in Table 1 and Fig. 7.

The other conformers are discussed in section A.2. All *MM*-optimized structures are termed as *SP*, although in some cases ((b) = (c) = (d) and (a_2)) the two *trans*-basal angles are quite different, indicating that the geometry is far from a regular *SP*. It is distorted along the path to a *TBP* (see Section B) and structures ((b) = (c) = (d)) may be better termed as distorted *TBP* rather than distorted *SP*. For this reason, these structures are depicted as *TBP*s in Fig. 7. In this respect, the *MM*optimized structures of **3**-PtCl₂(H₂O) span a picture different from that for **1**- and **2**-PtCl₂(H₂O): whereas the last two compounds prefer the *SP* with Cl at the apex, **3**-PtCl₂(H₂O) exhibits *SP* structures highly distorted along the path of conversion towards a *TBP* with NH₃ and Cl at the axial positions. The optimized structures take the order

	TBP (N-Cl) or SP (N)	SP (O)	SP (Cl)	SP (N)	
MM	23.0	22.6	23.1	23.2-24.0	kcal·mol ⁻¹
EH	-279.4	-279.5	-279.5	-279.4	eV
	3	1	2	2	number of occurrence
or					
	SP(O) < TB	$P(N-Cl) \leq$	\leq SP (Cl) <	SP(N)	in MM
	$SP(O) \approx SP$	$\dot{Cl} < TE$	$P(N-Cl) \approx$	$\Rightarrow SP(\mathbf{N})$	in EH

It can be seen from the data given above that the energy differences are very small and the energy values are once again poor discriminators for the studied strucutres (see *Section B*). In view of the close energy values, the predominant factor may be the entropy related to the number of occurrences. This factor favours the least distorted (related to *SP*) structures (b) = (c) = (d), which in fact should be combined with (a₂) and (a₃), giving 5 *SP* structures with N at the apex.

The reason why a distorted *TBP* with N and Cl at apical positions is preferred over the other combinations (N-N, N-OH₂, Cl-Cl, Cl-O) is clear: as pointed out for *cis*-Pt(NH₃)₂Cl₂(H₂O), one NH₃ always occupies an axial position in a *TBP*. From the options N-Cl, N-OH₂, and N-N, the last one is preferred as a *TSC* of cisplatin, but it is impossible for 1-, 2- and 3-PtCl₂(H₂O) *TSCs* since it spans a NPtN angle of *en* amounting to 180°. The choice between N-OH₂ and N-Cl would depend – among other factors – upon the repulsion of the axial and equatorial ligands in a *TBP*. The N-Cl combination places H₂O in the equatorial plane where repulsion is less than in an axial position. It should be noted that the isomer with N and Cl in axial positions would offer the best arrangement for the *trans*-influence of N to be exerted upon the leaving Cl⁻ ion. Such an effect is impossible if N and Cl were located in the equatorial plane of a *TBP*.





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2. Diastereomers of 2-PtCl₂(H₂O) and 3-PtCl₂(H₂O)

The results for the two diastereomers ((*R*,*R*/*S*,*S*) and (*R*,*S*), Fig. 5) for 2-PtCl₂(H₂O) are given in Table 2. In order to avoid local force-field minima, minimizations from several distinct input structures were carried out. Four structures, obtained as a result after *MM*-minimization for 1-PtCl₂(H₂O) ((a), (b), (c), (d), (e) and (f) – compound 2 in Table 1) have been selected as input, and the Ph groups have been added prior to the geometry optimization. The calculated structural data show that the (*R*,*R*/*S*,*S*) and (*R*, *S*) forms of the 2-PtCl₂(H₂O) *TSCs* are stabilized predominantly in *SP* (Cl or O at the apex) structures with almost equal *MM* energies (Table 2) or in a *SP* (N at the apex) structure with slightly higher *MM* energy. The *SP* forms, which show distortions towards a *TBP* structure, are the (*R*,*R*) and (*R*,*S*) forms of structure (a₂) (see *trans*-basal angles in Table 2). For all other structures studied here, both the (*R*,*R*/*S*,*S*) and the (*R*,*S*) forms were found to be stabilized as an *SP TSC*. The (*R*,*S*) form shows a slightly higher *MM* energy than the (*R*,*R*/*S*,*S*) forms (~0.5–1.0 kcal·mol⁻¹) with the exception of structure (a₃) where a difference of ~ 2–5 kcal·mol⁻¹ was found.

MM Energy (kcal·mol ⁻¹) from structure (a_1) SP, O-apical ⁶ MM 24.8 25.1 24.1 SE 26.2 26.5 25.5 trans-basal angles (°) 161 169 165 from structure $(a_4) = (b) = (c)$ MM 24.3 24.8 24.6 SP, Cl-apical MM 24.3 24.8 24.6 see 25.7 26.2 25.9 trans-basal angles (°) 159 158 163 trans-basal angles (°) 155 164 145 from structure (d) = (e) SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166 SP, Cl apical MM 24.5 25.1 23.9 from structure (d) = (e) SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166 from structure (a_2) SE 27.2 28.8 26.6 trans-basal angles (°) 172 174 169 from structure (a_3) SE 27.2 28.8	2-PtCl ₂ (H ₂ O)		(<i>S</i> , <i>S</i>) ^b	$(R,S)^{\mathrm{b}}$	$(R,R)^{\mathrm{b}}$
from structure (a_1) SP, O-apical ^c MM 24.8 25.1 24.1 SE 26.2 26.5 25.5 trans-basal angles (°) 161 169 165 from structure $(a_4) = (b) = (c)$ SE 25.7 26.2 25.9 trans-basal angles (°) SE 25.7 26.2 25.9 trans-basal angles (°) 159 158 163 trans-basal angles (°) 159 158 163 trans-basal angles (°) 159 158 163 trans-basal angles (°) SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166 SP, N apical MM 24.5 25.1 23.9 SE 25.8 26.5 25.2 170 166 156 154 142 155 164 142 from structure (a_2) SE 27.2 28.8 26.6 SP, N apical ^c MM 25.9 27.5 25.3 SP, N-apical SE 27.2 28.8 26.6	$\overline{MM \text{ Energy } (\text{kcal} \cdot \text{mol}^{-1})}$		<u></u>		
SP, O-apical ^c MM 24.8 25.1 24.1 SE 26.2 26.5 25.5 trans-basal angles (°) 161 169 165 from structure $(a_4) = (b) = (c)$ SE 25.7 26.2 25.9 trans-basal angles (°) MM 24.3 24.8 24.6 SE 25.7 26.2 25.9 trans-basal angles (°) 159 158 163 trans-basal angles (°) 155 164 145 from structure (d) = (e) SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166	from structure (a_1)				
SE 26.2 26.5 25.5 trans-basal angles (°) 161 169 165 163 159 146 from structure (a_4) = (b) = (c) SP, Cl-apical MM 24.3 24.8 24.6 SP, Cl-apical SE 25.7 26.2 25.9 trans-basal angles (°) 159 158 163 trans-basal angles (°) 155 164 145 from structure (d) = (e) SE 25.8 26.5 25.2 sP, Cl apical MM 24.5 25.1 23.9 SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166 156 154 142 142 from structure (a_2) SE 27.2 28.8 26.6 trans-basal angles (°) 172 174 169 158 137 126 from structure (a_3) SE 28.2 33.2 32.0 30.7 SP, N-apical MM 26.9 31.9 30.7 SE 28.2 33.2	SP, O-apical ^c	MM	24.8	25.1	24.1
trans-basal angles (°) 161 169 165 163 159 146 from structure (a_4) = (b) = (c) SP, Cl-apical MM 24.3 24.8 24.6 SP, Cl-apical SE 25.7 26.2 25.9 trans-basal angles (°) 159 158 163 155 164 145 from structure (d) = (e) SE 25.8 26.5 25.2 SP, Cl apical MM 24.5 25.1 23.9 SE 25.8 26.5 25.2 164 145 from structure (d) = (e) SE 25.8 26.5 25.2 sP, Cl apical MM 24.5 25.1 23.9 SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166 SE 27.5 25.3 SE 27.2 28.8 26.6 trans-basal angles (°) 172 174 169 158 137 126 158 137 126 from structure (a_3)	-	SE	26.2	26.5	25.5
163159146from structure $(a_4) = (b) = (c)$ MM24.324.824.6SP, Cl-apicalSE25.726.225.9trans-basal angles (°)159158163from structure (d) = (e)155164145SP, Cl apicalMM24.525.123.9SE25.826.525.2trans-basal angles (°)159170166156154142from structure (a_{2}) SE25.927.525.3SP, N apicalMM25.927.525.3SP, N apical172174169158137126from structure (a_3) SE28.233.232.030.7SP, N-apicalMM26.931.930.730.7SE28.233.232.0174157169171150157157169171150157	trans-basal angles (°)		161	169	165
from structure $(a_4) = (b) = (c)$ SP, Cl-apicalMM24.324.824.6SE25.726.225.9trans-basal angles (°)159158163from structure (d) = (e)155164145SP, Cl apicalMM24.525.123.9SE25.826.525.2trans-basal angles (°)159170166SP, N apical°MM25.927.525.3SP, N apical°MM25.927.525.3SE27.228.826.6158137126from structure (a_2) SF172174169158137126from structure (a_3) SF28.233.232.030.7SP, N-apicalMM26.931.930.7SE28.233.232.0trans-basal angles (°)174157169171150157			163	159	146
SP, Cl-apical MM 24.3 24.8 24.6 SE 25.7 26.2 25.9 trans-basal angles (°) 159 158 163	from structure $(a_4) = (b) = (c)$				
SE 25.7 26.2 25.9 trans-basal angles (°) 159 158 163 from structure (d) = (e) MM 24.5 25.1 23.9 SP, Cl apical MM 24.5 25.1 23.9 SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166	SP, Cl-apical	MM	24.3	24.8	24.6
trans-basal angles (°) 159 158 163 from structure (d) = (e) 155 164 145 SP, Cl apical MM 24.5 25.1 23.9 SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166	-	SE	25.7	26.2	25.9
155164145from structure (d) = (e) MM 24.525.123.9SP, Cl apical MM 24.525.123.9SE25.826.525.2trans-basal angles (°)159170166156154142from structure (a2) SE 27.228.8SP, N apical ^c MM 25.927.525.3SE27.228.826.6trans-basal angles (°)172174169158137126from structure (a3) SE 28.233.232.0sp, N-apical MM 26.931.930.7SE28.233.232.0174157trans-basal angles (°)174157169171150157157	trans-basal angles (°)		159	158	163
from structure (d) = (e)SP, Cl apicalMM24.525.123.9SE25.826.525.2trans-basal angles (°)159170166If 59170166156154142from structure (a2)MM25.927.525.3SP, N apical ^c MM25.927.525.3set27.228.826.6trans-basal angles (°)172174169from structure (a3)SF, N-apicalMM26.931.930.7SP, N-apicalMM26.931.930.7trans-basal angles (°)174157169trans-basal angles (°)174157169trans-basal angles (°)174157169trans-basal angles (°)174157169trans-basal angles (°)174157169trans-basal angles (°)174157169trans-basal angles (°)174157169			155	164	145
SP, Cl apical MM 24.5 25.1 23.9 SE 25.8 26.5 25.2 trans-basal angles (°) 159 170 166	from structure $(d) = (e)$				
$SE = 25.8 = 26.5 = 25.2 \\ 159 = 170 = 166 \\ 156 = 154 = 142 \\ 156 = 154 = 142 \\ 156 = 154 = 142 \\ 156 = 154 = 142 \\ 156 = 154 = 142 \\ 158 = 154 = 142 \\ 158 = 154 = 142 \\ 158 = 158 = 158 \\ 172 = 174 = 169 \\ 158 = 137 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 126 \\ 178 = 12$	SP, Cl apical	MM	24.5	25.1	23.9
trans-basal angles (°)159170166156154142from structure (a_{2}) MM 25.927.525.3SP, N apical° MM 25.927.525.3SE27.228.826.6trans-basal angles (°)172174169from structure (a_3)158137126SP, N-apical MM 26.931.930.7SE28.233.232.0trans-basal angles (°)174157169171150157157	-	SE	25.8	26.5	25.2
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	trans-basal angles (°)		159	170	166
from structure (a_{2}) SP, N apical ^c MM25.927.525.3SE27.228.826.6trans-basal angles (°)172174169158137126from structure (a_3) SF, N-apicalMM26.931.930.7SE28.233.232.032.0trans-basal angles (°)174157169171150157			156	154	142
SP, N apical ^c MM 25.9 27.5 25.3 SE 27.2 28.8 26.6 trans-basal angles (°) 172 174 169 from structure (a ₃) 158 137 126 SP, N-apical MM 26.9 31.9 30.7 SE 28.2 33.2 32.0 trans-basal angles (°) 174 157 169 171 150 157	from structure (a ₂₎				
SE = 27.2 = 28.8 = 26.6 trans-basal angles (°) = 172 = 174 = 169 = 158 = 137 = 126 from structure (a ₃) SP, N-apical = MM = 26.9 = 31.9 = 30.7 = 32.0 = 32.0 = 32.0 = 174 = 157 = 169 = 171 = 150 = 157	SP, N apical ^c	MM	25.9	27.5	25.3
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	_	SE	27.2	28.8	26.6
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	trans-basal angles (°)		172	174	169
from structure (a_3) MM26.931.930.7SP, N-apicalSE28.233.232.0trans-basal angles (°)174157169171150157			158	137	126
SP, N-apical MM 26.9 31.9 30.7 SE 28.2 33.2 32.0 trans-basal angles (°) 174 157 169 171 150 157	from structure (a ₃)				
SE 28.2 33.2 32.0 trans-basal angles (°) 174 157 169 171 150 157	SP, N-apical	MM	26.9	31.9	30.7
trans-basal angles (°)174157169171150157		SE	28.2	33.2	32.0
171 150 157	trans-basal angles (°)		174	157	169
			171	150	157

Table 2. MM^{a} and SE^{a} energy data for the transition state complexes of the 2-PtCl₂(H₂O) conformers

^a MM: Molecular Mechanics energies, SE: Strain Energies; ^b gauche forms; ^c SP \rightarrow TBP

The study of the (R,R/S,S) and (R,S) forms of **3**-PtCl₂(H₂O) provides additional information on the preferred *TSC* conformations. The same four conformations as for **2**-PtCl₂(H₂O) have been investigated, but the results from the *MM*-optimization, with respect to the differences between (R,R/S,S) and (R,S), are quite different (Table 3). The (R,S) forms again show a higher energy as compared to both (R, R/S,S) forms, but the energy difference is about ~2–8 kcal·mol⁻¹, and the (S,S) conformer has the lowest energy.

Different positions of OH groups (in 3- and 4-positions in the benzene ring) for the hydroxyphenyl group have also been investigated (Table 3). The results for 3-

MM Energy (kcal·mol ⁻¹)		$(S,S)^b$	$(R,S)^b$	$(R,R)^b$
3 -PtCl ₂ (H ₂ O)				
from structure (a ₁)				
SP, O apical	MM	22.6	25.1	24.7
	SE	24.0	26.4	26.0
trans-basal angles (°)		168	168	162
		155	135	162
from structure $(a_4) = (e)$				
SP, Cl apical	MM	23.0	25.5	24.2
	SE	24.4	26.8	25.5
trans-basal angles (°)		160	171	168
		154	159	149
from structure $(b) = (c) = (d)$				
SP, Cl apical	MM	23.0	25.2	23.9
-	SE	24.3	26.5	25.3
trans-basal angles (°)		172	170	169
		142	159	149
from structure (a ₂)				
SP, N apical	MM	23.2	28.2	25.4
-	SE	24.5	29.6	26.7
trans-basal angles (°)		173	180	171
		157	144	142
from structure (a ₃)				
SP, N apical	MM	24.0	32.2	30.3
-	SE	25.3	33.5	31.6
trans-basal angles (°)		172	158	154
-		168	150	154
4-PtCl ₂ (H ₂ O) from structure (b)	MM	23.2	23.5	23.6
	SE	24.6	24.8	24.9
5-PtCl ₂ (H ₂ O) from structure (b)	MM	23.1	23.3	23.0
	SE	24.4	24.7	24.4
2-PtCl ₂ (H ₂ O) from structure (b)	MM	24.3	24.8	24.6
	SE	25.7	26.2	25.9

Table 3. MM^a and SE^a energy data for 2-, 3-, 4-, and 5-PtCl₂(H₂O) TSCs with SP geometry

^a MM: Molecular Mechanical energies, SE: Strain Energies; ^bgauche forms

and 4-hydroxyphenyl substituted TSCs (4-PtCl₂(H₂O) and 5-PtCl₂(H₂O)) are very similar to those for the unsubstituted phenyl TSCs (2-PtCl₂(H₂O)): the (*R*,*R*/*S*,*S*) forms have approximately the same *MM* energy and the (*R*,*S*) and (*R*,*R*/*S*,*S*) forms differ only slightly.

The 2-hydroxyphenyl *TSC* (**3**-PtCl₂(H₂O)) has the lowest *MM* energy in the (S,S) conformation for all studied structures. The (R,R) form as well as the (R,S) form are stabilized as intermediates between *SP* and *TBP* with higher *MM* energy. Both results – the lower *MM* and electronic energies for the (S,S) form and the significant *MM* energy difference between (R,R/S,S) and (R,S) forms – could explain the faster hydrolysis reaction of the (S,S) form as compared with that of the (R,S) form of the **3**-PtCl₂ complex [28].

B. Description of Transition State Complex Geometries in Terms of a Distortion Vector

The calculated geometries whose energies and structural data are listed in Tables 1, 2, and 3 have been referred to as trigonal *TBP* or *SP* on the basis of the calculated *trans*-axial (in *TBP*) and *trans*-basal (in *SP*) angles. The values of these angles help to determine the limiting cases (*TBP* or *SP*) but they do not reveal how much the real structures deviate from the ideal *TBP* or *SP*. At the same time, the *TBP* geometries obtained for $Pt(NH_3)_2Cl_2(H_2O)$ have equal or very similar *MM* and *EH* energies and thus they cannot be reliably discerned. The calculated *SP* geometries for the $Pt(NH_3)_2Cl_2(H_2O)$ analogues are also very close in energy. In order to discriminate the calculated geometries as well as to determine the degree of distortion away from the ideal *TBP* or *SP*, the structures are further discussed in terms of a total displacement (distortion) vector *D* as defined in Ref. [25].

We are mainly interested in distinguishing whether a given geometry is closer to an ideal *TBP* or to an ideal *SP*, *i.e.* to position the structure on the *SP-TBP* conversion path. We have calculated the distortion away from the idealized structures in the 12-dimensional space defined by the complete set of displacement coordinates (Tables 4, 5, 6; Figs. 8, 9).

$\overline{A'_1}$	$S_1 = 2^{-1/2} (\Delta r_1 + \Delta r_5)$
	$S_2=3^{-1/2}(\Delta r_2+\Delta r_3+\Delta r_4)$
A_2''	$S_3 = 2^{-1/2} (\Delta r_1 - \Delta r_5)$
_	$S_4=6^{-1/2}(\Delta heta_{12}+\Delta heta_{13}+\Delta heta_{14}-\Delta heta_{25}-\Delta heta_{35}-\Delta heta_{45})$
E'	$S_{5a}=6^{-1/2}(2\Delta r_3-\Delta r_2-\Delta r_4)$
	$S_{5b} = 2^{-1/2} (\Delta r_2 - \Delta r_4)$
	$S_{6\mathrm{a}}=6^{-1/2}(2\Delta heta_{24}-\Delta heta_{34}-\Delta heta_{23})$
	$S_{6\mathrm{b}} = 2^{-1/2} (\Delta heta_{34} - \Delta heta_{23})$
	$S_{7\mathrm{a}} = 12^{-1/2}(\Delta heta_{13} - \Delta heta_{12} - \Delta heta_{14} + 2\Delta heta_{35} - \Delta heta_{25} - \Delta heta_{45})$
	$S_{7b} = 1/2(\Delta heta_{12} - \Delta heta_{14} + \Delta heta_{25} - \Delta heta_{45})$
E''	$S_{8\mathrm{a}} = 12^{-1/2}(2\Delta heta_{13} - \Delta heta_{12} - \Delta heta_{14} - 2\Delta heta_{35} + \Delta heta_{25} + \Delta heta_{45})$
	$S_{8\mathrm{b}} = 1/2(\Delta heta_{12} - \Delta heta_{14} - \Delta heta_{25} + \Delta heta_{45})$

Table 4. Displacement coordinates for *TBP* (D_{3h}) [25]^a

^a Δr_i are deviations of the calculated bond lengths from the standard ones, $\Delta \theta_{ij}$ are differences between the angles of the idealized and the *MM* optimized molecules

A_1	$S_1 = \Delta r_3$
	$S_2 = 1/2(\Delta r_1 + \Delta r_2 + \Delta r_4 + \Delta r_5)$
	$S_{3}=2^{-1/2}(\Delta heta_{15}+\Delta heta_{24})$
B_1	$S_4=1/2(\Delta r_1+\Delta r_5-\Delta r_2-\Delta r_4)$
	$S_5=2^{-1/2}(\Delta heta_{15}-\Delta heta_{24})$
B_2	$S_6 = 1/2(\Delta heta_{12}+\Delta heta_{45}-\Delta heta_{14}-\Delta heta_{25})$
Ε	$S_{7\mathbf{a}}=2^{-1/2}(\Delta r_1-\Delta r_5)$
	$S_{7b} = 2^{-1/2} (\Delta r_4 - \Delta r_2)$
	$S_{8 \mathrm{a}} = 2^{-1/2} (\Delta heta_{13} - \Delta heta_{35})$
	$S_{8\mathrm{b}}=2^{-1/2}(\Delta heta_{34}-\Delta heta_{23})$
	$S_{9\mathrm{a}}=2^{-1/2}(\Delta heta_{12}-\Delta heta_{45})$
	$S_{9\mathrm{b}} = 2^{-1/2} (\Delta heta_{14} - \Delta heta_{25})$

Table 5. Displacement coordinates for $SP(C_{4v})[25]^a$

^a Δr_i are deviations of the calculated bond lengths from the standard ones, $\Delta \theta_{ij}$ are differences between the angles of the idealized and the *MM* optimized molecules

Angle	TBP	SP	
θ_{12}	90	86	
θ_{13}	90	105 ·	
θ_{14}	90	86	
θ_{23}	120	105	
θ_{24}	120	150	
θ_{34}	120	105	
θ_{25}	90	86	
θ_{35}	90	105	
θ_{45}	90	86	
θ_{15}	180	150	

Table 6. Reference angles (θ_{ij}, \circ) for *TBP* and *SP*^a

^a The numbering is according to Fig. 8



TBP

Fig. 8. Ligand numbering for trigonal bipyramid and square pyramid

 $E^{(S_{B_{b}})}$ E(s₉₆) Fig. 9. Graphic illustration of the displacement coordinates (symmetry modes) for D_{3h} (trigonal bipyramid, first row) and C_{4v} (square pyramid, second row) E"(S_{8a}) $A_{1}(s_{1}) \quad A_{1}(s_{2}) \quad A_{1}(s_{3}) \quad B_{1}(s_{4}) \quad B_{1}(s_{5}) \quad B_{2}(s_{6}) \quad E(s_{7a}) \quad E(s_{7b}) \quad E(s_{8a}) \quad E(s_{8b}) \quad E(s_{9a}) \quad E(s_{9a})$ $E(S_{T_{D}})$ $E(S_{\gamma_a})$ E(S_{6b}) $E(S_{5b}) = E(S_{6a})$ SP $\frac{\mathbf{v}}{\mathbf{v}}$ E(S_{5a}) R. $A_2"(S_3) A_2"(S_4)$ 4 \leftarrow $A_1(S_2)$ $A_1(S_1)$ \leftrightarrow

TIBP

The contributions of the displacement coordinates involving bond stretching to the distortion vector are in general small; however, they are of special interest since they combine among themselves (*i.e.* $A'_1 \rightarrow (S_1 - S_2)$ for TBP, $A_1 \rightarrow (S_1+S_2)$, $(S_1+S_3), (-S_2+S_3)$ for SP) and they also combine with the displacement coordinates that involve bending (*i.e.*) $E' \rightarrow (S_{5a} + S_{6a}), A''_2 \rightarrow (S_3 - S_4)$, (see Fig. 9). The *Berry* twist [25, 29] is $(S_{6a} + S_{7a})$, and the umbrella type coordinate [25] is $(S_3 - S_4)$ (vide infra). The combinations $(S_1 - S_2)$ in TBP space and $(S_1 + S_2), (S_1 + S_3), and (-S_2 + S_3)$ in SP space are related to the constant-amount-of-glue distortion [25].

The calculated values of the distortion vector are given in Tables 7, 8, 9, and 11. The leading symmetry coordinates for TBP and SP deformations, according to Fig. 9, are also given there.

We shall again discuss the four compounds, this time with respect to their DV values and displacement coordinate contributions.

$Pt(NH_3)Cl_2(H_2O)$

Table 7 lists the calculated *DV*s and the active displacement coordinates. It can be seen from Fig. 2 and Table 7 that the *TBP* structures have *DV* values which are smaller for *TBP* than for *SP*; vice versa, the structure classified as *SP* has a smaller *DV* value for *SP* than for *TBP*. Hence, the classification to *TBP* or *SP* made previously on inspection of the *MM* data (energies and angles) is also quantitatively correct. However, the *DV* values offer a chance to better discriminate the *MM* geometries obtained with equal or almost equal *MM* energies. A survey of the *DV* values shows that the least distorted geometry is a_2 (Fig. 2; *DV* in *TBP* space = 0.27), a *TBP* with N-N trans-axial donor atoms. The leading displacement coordinates for all *TBPs* are of E' symmetry, the most active components being $S_6 > S_7 > S_5$. The combination ($S_{6a} + S_{7a}$) reflects the *Berry* twist with one equatorial ligand (atom 3, see Fig. 8) acting as pivot [25]. Mixing the stretching S_{5a} to the *Berry* coordinates increases the pivot bond length, whereas the other two equatorial ligands move towards the metal and away from each other by increasing the angle θ_{24} (see again Fig. 8 and Ref. [10c]).

Table 7 demonstrates that there is also a net contribution of the totally symmetric coordinate A'_1 and of A''_2 to produce the distorted *TBP* structure. This multi-mode action has been discussed in detail elsewhere [25, 10c]. It indicates that a *vibronic* mechanism may be responsible for shaping the 5-coordinate *TSC*.

The *TBP* geometries with N-Cl *trans*-axial atoms show higher *DV* values as compared with the *TBP* structures with N-N *trans*-axial atoms; hence, they are more distorted *TBPs*. In addition, the E'' coordinate contributes to the distortion (components S_{8b} and S_{8a}), further reducing the symmetry. The three *TBP* geometries with N-O *trans*-axial atoms show even higher *DV* values. Instead of the E'' coordinate, the second active one is that of A''_2 symmetry. The combination of the two components of A''_2 (S_3-S_4) represents the umbrella type distortion, which is operational only for the *trans* N-O axial geometries.

Our results suggest that the deformations of a given *TSC* structure away from a *TBP* towards *SP* (or *vice versa*) are to a large extent independent of bond length distortions; however, some stretching modes (*vide supra*), although with modest

Table 7. MM	energy and distortion	vector values	s for different ge-	ometries of Pt(N	H ₃) ₂ Cl ₂ (H ₂ O) in	TBP and SP spa	ces ^a		
Geometry	(a1)	(a ₂)	(a3)	(a4)	(q)	(c)	(p)	(e)	(f)
<i>MM</i> energy (kcal·mol ⁻¹)	8.1	7.5	8.0	8.0	8.0	8.0	7.7	<i>T.T</i>	8.0
DV	1.56	0.27	1.37	1.37	1.52	1.40	0.33	0.29	0.49
(TBP space) DV	0.66	1.85	2.75	2.76	2.99	2.98	2.34	1.83	1.96
(SP space) Active	E	E'	E'	E'	E'	E	E'	E'	E'
modes (Predominant	(7a, 7b, 8a, 8b, 9a)	(6a, 7a, 5a)	(6a, 6b, 7b, 5a)	(6a, 6b, 7b, 5a)	(6a, 6b, 7b, 5a)	(6a, 6b, 5a, 5b)	(6a, 6b, 5a)	(6a, 7b, 5a)	(6a, 6b, 5a, 5b)
symmetry	I	I	A_2''	A_2''	A_2''	E''	1	1	$E^{\prime\prime}$
coordinates)	I	1	(4, 3)	(4, 3)	(4, 3)	(8b, 8a)	1	I	(8a, 8b)
	$A_{\rm I}$	A'_1	A_1'	A_1'	A_1'	A_1'	A_1'	A'_1	A_1
	(1, 2, 3)	(1, 2)	(1, 2)	(1, 2)	(1, 2)	(1, 2)	(1, 2)	(1, 2)	(1, 2)
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^a The letters (a)–(f) have the same meaning as in Fig. 2

contributions to the DV values, are essential in shaping the ultimate TSC geometry.

$Pt(en)Cl_2(H_2O)$ (1-PtCl₂(H₂O))

From the geometric parameters calculated for $Pt(en)Cl_2(H_2O)$ (Table 1), it is evident that all structures, with the possible exceptions of (a₂), (d), and (e), have two angles that are close to each other and higher than 150°. These structures should be termed as square based pyramids with different Pt elevation above the basal plane. A survey of the calculated *DV* values (Table 8) shows that all structures have DV(SP) < DV(TBP) which is consistent with the drawings adopted in the second row in Fig. 3. Hence, the *DV* values, as in the case of $[Pt(NH_3)_2Cl_2(H_2O)]$, are a much more sensitive descriptor of the *TSC* structures than the absolute values of the valence angles or the *MM* energies.

The leading displacement coordinate for all output geometries of $[Pt(en)Cl_2-(H_2O)]$ is that of *E*-symmetry in the *SP* space. The components that play a major role in shaping the geometry are S_{7a} , S_{7b} , S_{8a} , S_{8b} , S_{9a} , and S_{9b} (according to Fig. 9). A slight distortion along the *Berry* twist path from *SP* space towards *TBP* is also observed (B_1 -symmetry, components S_4 and S_5). The combination of S_1 and S_2 distortions reflects the constant-amount-of-glue displacement [25] that is equivalent to the S_1 and S_2 combination of a *TBP* being distorted towards a *SP*. This distortion is typical for $[Pt(en)Cl_2(H_2O)]$. In addition, there are two other combinations which are also important for the *SP* space: $(S_1 + S_3)$ and $(S_3 - S_2)$. Together with $(S_1 + S_2)$ they are the most important modes for a classical reversible association reaction of a square planar centre [25].

The least distorted *TSC* structure is an *SP* with Cl at the apex ((f) = (b) = (d)). The small *MM* energy differences for the 4 *SP* structures with apical Cl are also not significant in terms of the DV(SP) values, structure (e) being a slightly more distorted *SP* than (f), (b), and (d).

$Pt(PhenPh)Cl_2(H_2O)$ (2-PtCl₂(H₂O))

The *MM*-optimized structures are treated as *SP* since the two *trans*-basal angles are equal, with the possible exception of (a_2) (Table 2, Fig. 6). However, a comparison between *DV*(SP) and *DV*(TBP) (Table 9) shows that all structures should be classified as *SP* and the only exception is (a_3) , not (a_2) . This is a demonstration of the better discriminating ability of *DV* as compared with the use of single *MM* data (energies or angles). Therefore, the (a_3) structure should be termed as *TBP*; in fact it is the least distorted *TBP*. The least distorted *SP* structures with apical Cl are $(b) = (c) = (e) = (a_4) \approx (d)$ (DV = 0.6 - 0.8, Table 9). Higher *DVs* are obtained for *SP* with apical OH₂ (DV = 0.91) and *SP* with apical N (DV = 1.4-1.8). Judging from the *trans*-basal values, the structures with apical N are nearly T-shaped ($C_{2\nu}$ symmetry), whereas those with apical OH₂ and especially with apical Cl typically exhibit a high elevation of Pt above the basal plane.

The leading SP symmetry coordinate for all TSCs of 2-PtCl₂(H₂O) is of E symmetry, with main components S_{7b} , S_{7a} , S_{8a} , and S_{8b} shown in Table 9. These

Geometry	(a ₁)	(a ₂)	(a ₃)	(q)	(c)	(p)	(e)	(f)
MM energy	7.32	7.78	7.80	7.48	7.33	7.28	7.26	7.46
(Kcal·mol ⁻¹) DV	0.93	1.35	1.96	0.67	1.04	0.66	0.85	0.66
(SP space) DV	1.77	1.81	2.66	1.85	1.51	1.64	1.34	1.85
(TBP space) Active	E	E	E	E	E	E	E	E
modes (Predominant	(7b, 8a, 8b)	(7b, 8a, 8b)	(7a, 7b, 8a, 8b)	(7a, 7b, 8a)	(7a, 7b, 8a, 8b)	(7b, 8a, 8b)	(8a, 7b, 8b)	(7a, 7b, 8a)
symmetry	B_1	B_1	B_1	1	B_1	I	B_1	I
coordinates)	(4) 4	(4, 5) A	(4, 5) A.	- V	(4) 4.	- 4.	(4) A.	 A.
	A1 (1, 2, 3)	(1, 2, 3)	(1, 2, 3)	A1 (1, 2, 3)	(1, 2, 3)	(1, 2, 3)	(1, 2, 3)	(1, 2, 3)

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Geometry	(a ₁)	(a ₂)	(a ₃)	(a ₄)	(q)	(c)	(p)	(c)
MM energy	24.8	25.9	26.9	24.3	24.3	24.3	24.5	24.5
(kcal·mol^{-1}) DV	0.91	1.42	1.81	0.63	0.64	0.63	0.77	0.64
(SP space) DV	2.01	1.88	1.50	1.83	1.79	1.82	1.89	1.83
(<i>IBP</i> space) Active	E	E	E'	E	E	E	E	E
modes (Predominant	(7b, 8a, 7a, 8b)	(6b, 6a, 5b, 7a)	(7b, 7a, 8a, 8b)	(8a, 7b, 7a)	(8a, 7b, 7a)	(8a, 7b, 7a)	(8a, 7b, 7a)	(8a, 8b, 7b)
symmetry	í	\mathbf{A}_2''	B_1	1	I	I	1	!
coordinates)	1	(4, 3)	(4, 5)	1	ŀ	I	ł	I
	A_1 (1, 2, 3)	I 1	A'_{1} (1, 2)	A_1 (1, 2, 3)	A_1 (1, 2, 3)	A_1 (1, 2, 3)	A_1 (1, 2, 3)	A_{1} (1, 2, 3)
^a The letters (a)-(e) have the same	e meaning as in Fi	ig, 6					

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modes are mixed with the totally symmetric A_1 mode to provide, as for 1-PtCl₂(H₂O), the actual distortion as a multi-mode vibronic process.

Concerning the possible different conformers, the calculated DV values in Table 11 show that in single cases the TBP geometry should be selected e.g. (a₃) for the (S,S) conformer. However, it should be pointed out that TBP is the preferred geometry for the (R,R) conformers (with the exception of (a_3) and (c) geometries), although the DV(TBP)-DV(SP) differences are small. A possible explanation of this finding could be that the axially oriented phenyl substituents of (R,R) are directed towards the O or Cl atoms at apical positions, and SP has to be distorted towards TBP in order to avoid the increased repulsion above the TBP equatorial plane. The (R,S) isomers have only one axial phenyl substituent, which in all cases is directed below the base of the square pyramid where the repulsion is much smaller as compared to the crowded axial positions in TBP TSCs of 2-PtCl₂(H₂O). Therefore, all (R, S) isomers with no exception should be closer to SP than to TBP. The displacement coordinates that play a major role for the SP deformation are: $E(S_{7a},$ S_{7b}, S_{8a}, S_{8b} > $B_1(S_4, S_5) > A_1(S_1, S_2)$ (ordered with decreasing contribution). The B_1 -modes ensure that the SP distortion is towards a TBP, although the large contribution of E modes takes the structure out of the $SP \rightarrow TBP$ deformation path.

$Pt(PhOHenPhOH)Cl_2(H_2O)$ (3-PtCl₂(H₂O))

A survey of the DV data for 3-PtCl₂(H₂O) in Tables 10 and 11 displays a very complicated picture.

a) The least-distorted structures (DV = 0.66) are (a_4) and (e) (*i.e.* the (*S,S*) conformers with Cl at the apical position). This is in contrast with *MM* results which point to *TBP* structures (b), (c), and (d) (*trans*-axial N-Cl) with minimum *MM* energy. In terms of *DV*, (b), (c), and (d) are two times more distorted than (a_4) and (e). It may be thus concluded that the difference in *MM* energy (23.0 kcal·mol⁻¹ for (b), (c), and (d) and 23.1 kcal·mol⁻¹ for (a_4) and (e)), on which the previous distinction was made, is not significant; it is in fact below the expected accuracy of the *MM* results.

b) The second row in Fig. 7 depicts the optimized structures for the (S,S) conformer. Table 10 shows that structures (b), (c), and (d) should be termed as *TBP* with small differences as compared to *SP* (DV(TBP)-DV(SP) = 0.04). This picture for the (S,S) conformer is not retained for the (R,S) and (R,R) conformers (Table 11). Structures (b), (c), and (d) with a (R, S) conformation are less distorted as *SPs* (DV(SP)=1.18) than as *TBPs* (DV(TBP)=1.71). The opposite holds for the (R,R) conformers which like the (S,S) conformers prefer the *TBP* shape (DV(SP)=1.11, DV(TBP)=0.96). The differences are small and indicate that all conformers are almost midway between *SP* and *TBP*.

c) An SP structure with Cl at the apical position is expected to favour the split of Cl⁻ if SP is elongated with Cl at the apex. In the SP base, the N atoms exert *trans*-influence with respect to the H₂O molecule and make it leave the TSC, thus favouring the reverse (deaquation) reaction. Hence, two conflicting trends are operative for the elongated SP with Cl at the apex. In fact, our MM results for Pt-Cl bond lengths indicate that the basal Pt-Cl is always longer than the Pt-Cl axial bond

Geometry	(a ₁)	(a ₂)	(a ₃)	(a4)	(q)	(c)	(p)	(e)
MM energy (kcal.mol ⁻¹)	22.6	23.2	24.0	23.1	23.0	23.0	23.0	23.1
	1.05	1.34	1.53	0.66	1.22	1.22	1.22	0.66
DV DV	1.65	1.61	2.46	1.76	1.18	1.18	1.18	1.76
(TBP space) Active	E	E	E	E	E	E	E	E
modes (Predominant	(7b, 8a, 9a)	(7b, 8a, 8b, 7a)	(7a, 7b, 8a, 8b)	(8a, 7b)	(6a, 6b, 5a)	(6a, 6b, 5a)	(6a, 6b, 5a)	(8a, 7b)
symmetry	B_1	B_1	B_1	I	A_2''	A_2''	A_2''	I
coordinates)	(4, 5) A_1	(4, 5) A ₁	(4, 5) A ₁	$-A_{\rm I}$	(3, 4) A'_1	$(3, 4)$ A'_1	(3, 4) A''	$-A_1$
	(1, 2, 3)	(1, 2, 3)	(1, 2, 3)	(1, 2, 3)	(1, 2)	(1, 2)	(1, 2)	(1, 2, 3)

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Compound (structure)	(S,S)		(<i>R</i> , <i>S</i>)		(R,R)	
2 -PtCl ₂ (H ₂ O)	DV _{SP}	DV _{TBP}	DV _{SP}	DV _{TBP}	DV _{SP}	DV_{TBP}
(a ₁)	0.91	2.01	1.14	1.87	1.47	1.21
(a ₂)	1.42	1.88	1.04	1.22	1.34	0.87
(a ₃)	1.81	1.50	1.45	2.54	1.29	2.16
(a ₄)	0.63	1.83	0.88	1.81	1.41	1.21
(c)	0.63	1.82	0.88	1.81	1.41	1.21
(e)	0.64	1.83	1.01	1.52	0.96	1.02
(b)	0.64	1.79	1.02	1.60	1.25	1.15
(d)	0.77	1.89	0.92	1.42	1.11	0.99
3 -PtCl ₂ (H ₂ O)						
(a ₁)	1.05	1.65	1.66	0.75	1.32	2.10
(a ₂)	1.31	1.61	1.68	0.99	1.25	1.19
(a ₃)	1.53	2.46	1.56	2.64	1.57	2.60
(a ₄)	0.66	1.76	1.08	1.70	1.20	1.40
(e)	0.66	1.76	1.08	1.70	1.20	1.40
(b)	1.22	1.18	1.18	1.71	1.11	0.96
(c)	1.22	1.18	1.18	1.71	1.11	0.96
(d)	1.22	1.18	1.18	1.71	1.11	0.96

Table 11. Distortion vectors in SP space (DV_{SP}) and in TBP space (DV_{TBP}) of (S,S), (R,S) and (R,R) isomers for different geometries of **2**-PtCl₂ (H₂O) (Pt(PhenPh)Cl₂(H₂O)) and **3**-PtCl₂(H₂O) (Pt(PhO-HenPhOH)Cl₂(H₂O))

by 0.2–0.3 Å, and a compressed SP with Cl in the base and a strong in-base *trans*-effect should both contribute to make the basal Cl⁻ leave the TSC.

The experimental kinetic data for the hydrolysis of (S,S) and (R,S) isomers of **3**-PtCl₂ correlate with our *DV* values: it is known that the (S, S) isomer hydrolysis is faster compared to the (R, S) isomer [28]. The data in Table 11 show that the (S, S) isomer of **3**-PtCl₂(H₂O) is less distorted than the (R, S) isomer with *SP* shape. The least distorted *TSC* is expected to provide a lower energy barrier to the hydrolysis reaction than a *TSC* with a higher distortion, which is fully consistent with the available kinetic data.

By comparing the *DV* results it is seen that the *TSCs* of the 2- and 3-PtCl₂ (H₂O) compounds are more distorted as compared to those for cisplatin and 1-PtCl₂(H₂O). Obviously, additional deformations occur in 2- and 3-PtCl₂(H₂O) due to the complicated ligand structure, and the discussed geometries are far away (possibly midway) from both ideal *TBP* and *SP*.

C. Energy Barriers

Table 12 lists the changes in *MM* and *EH* energies when a Pt(II) complex reacts with a water molecule to form its *TSC*. The *MM* and *EH* values for the reactants are taken from Ref. [1], and the *MM* and *EH* of water have been added. The *TSC* energies are given in Table 1. It can be seen from Table 12 that the lowest barrier in terms of *MM* energy is offered by the (*S*, *S*) conformers of **2**- and **3**-PtCl₂(H₂O)

Compound	EH			ММ		
	ΔEH (eV)	$\Delta q(\text{Cl})$	$\Delta q(\mathrm{Pt})$	∆ <i>MM</i> (kcal·mol	ΔSE	Δ (Pt-Cl) $^{-1}$) (Å)
cisplatin	2.37	-0.115	-0.014	5.6	7.6	0.01
$1-PtCl_2(H_2O)$ $2-PtCl_2(H_2O)$	1.22	-0.112	-0.015	4.4	6.4	0.00
(<i>S</i> , <i>S</i>)	4.21	-0.016	-0.072	3.9	5.9	0.005
(R,S)	11.77	-0.088	0.111	4.3	6.1	0.01
(R,R)	12.01	-0.076	0.123	5.9	8.0	0.01
$3-PtCl_2(H_2O)$						
(S,S)	4.43	-0.028	-0.076	4.0	6.0	-0.005
(R,S)	11.10	-0.071	0.166	4.9	6.8	0.00
(R,R)	8.39	-0.060	0.125	6.4	8.4	0.00

Table 12. Differences between the EH and MM energies of the transition state complexes and reactants accompanying the hydrolysis reaction^a

^a All *gauche* forms; *EH* energy of H_2O was calculated and added to the *EH* values of the reactants; *MM* value of H_2O was not possible to be calculated, the *MM* values of the reactants were not corrected

 $(\Delta SE \approx 6.0 \text{ kcal} \cdot \text{mol}^{-1})$ in agreement with experimental kinetic data. In terms of *EH* energy, however, the lowest barrier is provided by the 1-PtCl₂(H₂O) gauche conformer; this is in contrast with *MM* results and experimental data. For this reason, a comparison between the results for differently constituted compounds should be viewed with caution, and due respect should be given only to comparison among the different geometry isomers and conformers of one and the same compound. A more reliable method should be employed if comparison among the different compounds is desirable.

The energy values of both MM and EH point out that the (S,S) conformers offer the lowest energy change to attain the transition state. Although the absolute values do not inspire much credence (1-4 eV in terms of EH) for a reversible reaction (much higher than expected), the relative values do agree with experimental rate constants.

Conclusions

The *cis*-Pt(NH₃)₂Cl₂ complex prefers a *trigonal bipyramid* transition state with NN at axial positions. The picture changes drastically when two NH₃ are substituted by an *en* ligand – the number of the possible isomers in reduced, and the *square pyramid* becomes the preferred arrangement with Cl at apical position. Location of an *en* ligand in equatorial position in a *trigonal bipyramid* becomes energetically very unfavourable due to the required high NPtN angle in such a position (120°); those structures are unrealistic giving preference to *square pyramid* structures with *en* taking two basal positions. With unsubstituted *en*, a *square pyramid* with Cl or O at the apical position offers the lowest energy hydrolysis path. In substituted *en* compounds (2-PtCl₂(H₂O) and 3-PtCl₂(H₂O)), the Pt-Cl basal distance is longer than the Pt-Cl apical one. Thus, it is expected that the release of the basal Cl⁻ is facilitated, and a substituted *en* complex offers a lower energy mechanistic path

than an unsubstituted en or the cisplatin complex. MM results point out that - in agreement with experimental results – the hydrolysis reaction is faster for the (S,S)conformer as compared to that of the (R,S) conformer of the 3-PtCl₂ compound. The calculated values of distortion vectors support and finalize the conclusions based on molecular mechanical optimized geometries: the least distorted geometry is a *trigonal bipyramid* for cisplatin and *sauare pyramid* for the analogues. The contributions of the bending modes to the deformation vector are predominant; those of the stretching modes for square pyramid and trigonal bipyramid are very small. This indicates that there are only small bond length variations (especially apical) – a result which has also been obtained by molecular mechanical calculations. The largest contribution to the TBP angular distortion comes from the S_{6a} and S_{6b} modes which suggests that there is much motion in the equatorial plane and less tilting of the axial bonds. Both for the trigonal bipyramid and for the square pyramid, the predominant distortions arise from modes which are involved in a *Berry* twist, although the contributions of other modes, especially the totally symmetric ones, are not negligible.

Appendix

The *MMX* force field includes the following terms: bond stretch E_r , valence angle deformation E_v , cross-term for bond-angle interaction E_{r-v} , torsional energy E_t , van der Waals (non-bonded) interactions E_{vdw} , dipole-dipole interaction E_{dd} . Both E_r and E_v are treated by the *Hook* law. For details, see Ref. [19]. The set of parameters used in this investigation is given below.

Stretch	retch $k_{\rm r} \; ({\rm mdyn} \cdot ({\rm \AA}^{-1}))$		Standard bo (Å)	Bond moment (D)	
	This work	Literature	This work	Literature	
Pt-LP	2.000	_	0.800	_	_
PtCl	2.000	1.47 [18]	2.300	2.30 [18]	0.000
Pt–N	2.000	2.54 [16b] 1.68 [18]	1.980	2.03 [16b] 2.00 [18]	0.000
Pt-O	2.000	_	1.800	_	0.000
Pt–O	2.000	_	1.800	_	_
N–C	5.100	6.00 [16c, 14c]	1.440	1.49 [16c, 14c]	0.040
C–C	4.400	5.00 [16c, 14c] 4.50 [18]	1.523	1.50 [16c, 14c] 1.54 [18]	0.000
N–H	6.100	5.64 [16c, 14c] 4.92 [18]	1.015	0.91 [16c, 14c] 1.00 [18]	-0.760
С–Н	4.600	5.00 [16c, 14c] 4.55 [18]	1.113	0.97 [16c, 14c] 1.09 [18]	0.000
CC _{ar}	5.000	5.00 [14c]	1.497	1.50 [14c]	0.000
Car-Car	9.600	-	1.337	_	0.000
C _{ar} –H	4.600	5.00 [14c]	1.101	0.97 [14c]	-0.200
O–H	4.600	5.00 [14c]	0.942	0.91 [14c]	-1.115
Car-O(H)	6.800	_	1.355	_	0.000
N–LP	4.500	-	0.600	_	0.600
O-LP	4.500	-	0.600	_	0.900

Bend	$k_{\theta}(\mathbf{m})$	lyn∙Å ^{−1})				Sta	indard	valen	ce angle	: (°)	
	This y	work	Litera	ature		``	Th	is wor	k	Literatu	ire	
ClPtCl	0.000		0.000	[14c], 0.	.28	[16d-g]	90	, 120,	180	86.6 [1	6d-g]	
Cl-Pt-N	0.000		0.000	[14c], 0.	.28	[16d-g]	90.	, 120,	180	86.6 [1	6d-g]	
Cl-Pt-O	0.000		0.000	[14c]			90	, 120,	180	_	0.	
NPt-O	0.000		0.000	[14c]			90	, 120,	180	_		
N-Pt-N	0.000		0.000	[14c], 0.	.400	[16d-g]	90	, 120,	180	90.0 [1	6d-g]	
Pt-N-C	0.000		0.300	[16b], 0.	.280	[16d-g]				127.3 [16b], 1	10.0 [14c]
			0.200	[14c]						109.5 [16d-g]	
Pt-O-H	0.000		0.100	[14c]						109.7 [14c]	
N-C-C	0.570		0.500	[16c], 0.	.45	[14c]	10	9.47		-		
N-C-C _{ar}	1.045		—				11	0.74		-		
C-C-C _{ar}	0.450		-				10	9.47		-		
C-Car-Car	0.550						12	1.40		-		
Car-Car-O	0.700		-				124	4.30		-		
$C_{ar} - C_{ar} - C_{ar}$	0.430						12	0.00		-		
Pt-N-H	0.000		0.100	[14c], 0.	.28	[16d-g]	10	9.70		109.7 [14c], 1	09.5 [16d-g]
PtN-LP	0.000		-							-		
Pt-O-LP	0.000		-							-		
H–N–H	0.500		0.320	[16c], 0.	.330	[14c]	104	4.50		108.98	[14c]	
H-N-C	0.500		0.360	[16c], 0.	450	[14c]	10	9.47		109.49	[14c]	
LP-N-C	0.500		-				10	9.20		-		
N-C-H	0.500		0.360	[16c],			10	8.80		108.98	[16c]	
Н–С–Н	0.320		0.320	[16c],			10	9.40		108.98	[16c]	
ССН	0.360		0.360 0.450	[16c, 14 [14c]	c]		10	9.39		109.38	[14c]	
Car-O-LP	0.100		-				12	0.00		-		
LP-O-LP	0.240		_				13	1.00		-		
LPOH	0.240		-				10	1.01		-		
LP-N-H	0.500		-				10	8.00		-		
Torsional (t	his wo	ork) V	/1			V_2				<i>V</i> ₃		·
N-C-C-N		_	-0.400)		-1.10)0	_		1.20	0	
N-C-Car-C	∙ar		0.000)		0.00	00			0.00	0	
C-C-N-LP)		0.200)		-0.22	20			0.10	0	
C _{ar} -C-N-L	Р		0.000)		0.00	00			0.00	0	
Van der Wa	als	R		·		EPS				LPD		IHTYP
		This w	ork	Literatur	e	This work	5	Litera	ture			
C (sp ³)		1.900		1.900 [14	4c]	0.044		0.044	[14c]	0		0
C (sp ²)		1.940		_		0.044				110		0
Н (С–Н)		1.500		1.440 [14	4c]	0.047		0.024	[14c]	0		20
O (C–OH)		1.740		1.700 [14	4c]	0.050		0.055	[14c]	90		0
N (sp ³)		1.820		1.800 [14	4c]	0.055		0.050	[14c]	200		0
Cl		2.030		-		0.240				10		0
LP		1.200				0.016				0		0
Car		1.900		_		0.044				110		0

(continued)							
H (OH)	1.100		0.036	—	0	40	
H (NH)	1.125	_	0.034	_	0	0	
M_1	0.000	-	0.400		0	0	
M ₂	0.000	_	0.400		0	0	
M ₃	0.000	_	0.400	—	0	0	
Spherical H ₂ O	1.530	_	0.500	—	0	0	
Out-of-plane ber	nding (this	work)					
C–C _{ar}	0.800						
Car-Car	0.800						
С-О	0.800						
Stretch-bend (th	is work)						
Stretch-bend (1)	0.12						
Stretch-bend (2)	0.25						
Stretch-bend (3)	0.09						
Stretch-bend (4)	-0.40						

(continued)

For explanation of the abbreviations used in this Table, see Ref. [19]

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